

Southern College



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Dear Dr. Lederberg:

Some years ago when you were at Stanford University, you led out in what appears to me to be a landmark contribution in Fundamental Chemistry. I refer to the calculation of the number of isomers which a molecule might have given its constituent atoms. I have been able to obtain some information about the results of this work, including the article "The Scope of Structural Isomerism," by Dennis H. Smith, and two articles by L. M. Masinter* from a series on artificial intelligence.

I have a desperate need to find information on the number of possible isomers for as many molecules as possible. This need exists in order to clarify an important feature for the periodic system which we believe can be constructed for molecules with any given number of atoms. The periodic system for diatomic molecules has been extensively demonstrated to agree with the data and to allow the prediction of new data. Work on the periodic system for triatomic molecules has begun. As the number of atoms in the molecule increase, the problem of isomers grows more and more important - hence this letter.

The articles by Masinter*give the number of isomers for a few molecules. The article by Smith gives the number of isomers for a large number of molecules, but

unfortunately the numbers of hydrogen atoms are not listed (the degree of unsaturation is listed). I know that, in principle, it should be possible to reconstruct the molecular formula including the number of hydrogens with the tabulated information. However, our time and expertise are limited and so I am writing to see whether you might have the original print-outs in which the number of isomers are listed for the specific molecules including the exact number of hydrogen atoms. I venture to take your time for this question because of the invitation at the end of Dr. Smith's article.

Your attention to this question and any assistance you might be able to render (such as to whom to write for the necessary information) are deeply appreciated.

Respectfully yours,

Nay Tefferur Ray Hefferlin, Professor of Physics

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such plots display a slightly decreasing slope with increasing outlier number for each given unsaturation.

As unsaturation increases, the slopes of the curves increase sharply (see Figure 1 as U increases from zero to four). However, curves representing higher unsaturation counts frequently begin, and remain for a short time below curves representing lower unsaturation counts, for example, the curves for U = 3 and U = 4, Figure 1. It seems clear that the higher the degree of unsaturation the greater the possible number and combinations of multiple bonds and ring systems. This factor is responsible for increasing slope with increasing U observed in Figure 1. But, carrying this argument to its extreme, why should not the number of isomers for a given combination of atoms always be greater for higher unsaturation counts, as long as the total velence of the composition list can support the specified unsaturation? The next section discusses this point in more detail.

The Number of Structural Leamers vs. Unsaturation Count. In Figure 2 some selected data from Table I are plotted including various combinations of six atoms. This figure illustrates the typical rise and fall of the number of isomers with more of a unsaturation. The value of unsaturation a which the rember of isomers reaches a maximum is a confidence shifts slowly to higher values of unsaturation at the number of atoms. The value shifts slowly to higher values of unsaturation at the number of atoms in rocess. Most composition lists of six atoms have maxima at U=3. However, most still display making at U=1 or 2.

It is interesting to note that there is a smooth variation of number of isomers with unsufuration. No example presented in Table I shows a number of isomers which declines, then rises and could be relinguiseturation.

The curves producted in Figure 2 serve to introduce another sat of questions and observations. These are concerned with the effects on the number of isomers caused by replacement of one type of atom with another type

The Namelers of Structural Leomers vs. Atom Type, Most characteristic intuitively expect that a given number of atoms, of a sectoral we will yield a larger number of isotrome with a more diverse collection of atoms. As a first approximation, this is true, as indicated in Figure 2. The care of C.N. In above the curve of Co for all value of U; the curve of C.O. lies above that of C. for $0 \le U \le 4$. It is reasonable to expect that in a comparison of the results of exchange yielding a higher are Nor one C for one C), the exchange yielding a higher track value are results in a group of atoms on. We of yielding a greater discretisy of structures. To a first approximation this is about the last the curve of CoN₁ lies above that of CoO₁ for all values of U (Figure 2).

Results presented previously, however, indicate the subtle into apply of atom type and valence. Intuition often fails to pull of the relative numbers of isomers resulting from replacing an arbit. In number of atoms by the same number of stone which a filer in name and valence. Some representation does selected from Table I are presented in Table II to in its atomic the influence of variation of atom type on the number of its orients.

For a given upsaturation count, the ratio between more bers of samers resulting from N-substitution vs. O substitution increases with increasing substitution, e.g. N_1/O_1 , N_2/O_3 . Table H.

DISCUSSION

The variations of numbers of isomers with increasing numbers of atoms, with unsaturation count or with substitution of one atom type with another can be rationalized on the some basis. Knowledge of an algorithm for constructing starting the allowing starting the starting game.

Table I. Structural Isomers of $C_1N_1O_2$, $x+y+z \le 6$, for Allowed Values of the Unsaturation, U

No. of	Unsaturation							
atoms	0	ı	2	3	4	5	6	7
0 0 0 0 0 0 0 0 0 0	1 1 2 3 5	$\frac{1}{2}$ $\frac{2}{5}$ $\frac{10}{25}$	1 3 9 26 77	1 11 40 159	$\frac{1}{7}$ 40 217	3 21 185	6 85	19
O, C,O, C,O, C,O,	1 2 3 7 14 1	1 3 9 26 74 1	$\begin{array}{c} 3 \\ 13 \\ 55 \\ 205 \end{array}$	1 9 62 337	2 36 318	15!	21	
C.O. C.O. C.O.	2 5 11 28 1	1 2 10 34 122 1 4 20 102 1 6 48 1	1 9 52 263	3 34 301	7 163	25		
C(0, C(0, C(0,	$\begin{array}{c} 3 \\ 10 \\ 28 \\ 1 \end{array}$	29 102 1	$\frac{1}{20}$ 152	98 98	16			
C.O. C.O. C.O. C.O.	20 1 6 1	6 45 1 9	$\frac{2}{1}$	10				
֞֞֞֞֞֞֞֞֞֞֞֞֞֞֞֞֞֞֞֞֞֓֞֞֓֞֓֞֞֓֓֓֞֞֞֓֓֓֞֞֞֞	11233511233741235186130716111124871236481445385 25 25 25 26 58 658 606487693844875 12 12 12 12 12 12 12 12 12 12 12 12 12	1 4 12 35 100	1 5 21 313 1	2 19 116 803	\$ \$0.	1 ->	1.2	
ON. ON. ON. ON.	2 6 14 38	18 62 215	$ \begin{array}{r} $	1 19 155 1758	5 88 1005	1 1 4 1 2	Đ.1	
CN; CN; CN; N;	4 14 45 2	11 58 255 ‡	13 110 651 4	6 99 90 31 31 5	34 706	131		
	5 37 2 15 1	29 189 7 73 18	110 681 47 439 145 25	31 512 4 1/4 15	275 42 6	1 -2		
C(N,0) C(N,0) C(N,0) C(N,0)	$\frac{3}{8}$ $\frac{21}{56}$	5 22 34 299 3	$\frac{3}{26}$ $\frac{154}{76}$	1100	746 715	9. J. T		
C.N.O. C.N.O. C.N.O.	3 t 102 3	21 115 527 7	137 177 1194 4	$\begin{array}{c} 4\\114\\1311\end{array}$	20 703	53		
C. X.	21 101 6 52 11	48280138499738152498345771188832541885188923465784815 2 150 01 71 289 212 78124 189 72207 34105 62 2 15 4 2 3 5 3 2 2 2	36 26 154 764 18 177 119 40 935 177 361 55	2 4 5 6 2 5 2 2 2 2 2	254 32			
C.N.O. C.N.O. C.N.O.	8 28 90 5	15 84 391 8	8 98 732 3	40 641	201			
C N O. C N O. N O. O.N.O.	28 132 10 86	75 521 23 305	8 95 732 67 807 13 360 66	137 137	76			
N.O., C.N.O., C.N.O.,	24 3 17 76 9	34 246 15	18 283 5 175 30	110				
C N O O O O O O O O O O O O O O O O O O	73 24 4 33 17	207 58 4 68 21	175 30 34 8	28				
$\mathbf{z}^{(0)}$	5	ē						